

# Fairness and Transparency in Rankings

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**WSSC**  
Research Group on Web Science  
and Social Computing

**BIAS Workshop @ ECIR  
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# Algorithmic Bias in Rankings

## Contents



1. Can algorithms discriminate?
2. Algorithmic fairness in IR
3. Measuring fairness in rankings
4. Creating fair rankings
5. Transparency in ranking

# Generic discrimination

X discriminates against someone Y in relation to Z if:

1. Y has property P and Z does not have P
2. X treats Y worse than s/he treats or would treat Z
3. It is because Y has P and Z does not have P  
that X treats Y worse than Z

(also applies if X believes Y has P and Z does not have P)

# Generic discrimination

X discriminates against someone Y in relation to Z if:

1. Y has property P and Z does not have P
2. X treats Y worse than s/he treats or would treat Z
3. It is because Y has P and Z does not have P that X treats Y worse than Z

**Disadvantageous differential treatment**



# Group discrimination

X group-discriminates against Y in relation to Z if:

1. X generically discriminates against Y in relation to Z
2. P is the property of belonging to a socially salient group
3. This makes people with P worse off relative to others  
or X is motivated by animosity towards people with P,  
or by the belief that people with P are inferior  
or should not intermingle with others

# Statistical discrimination

X statistically discriminates against Y in relation to Z if:

1. X group-discriminates against Y in relation to Z
2. P is statistically relevant  
(or X believes P is statistically relevant)

# Example (statistical / non-statistical)

- a. Not hiring a highly-qualified woman because the interviewer believes women have a higher probability of taking parental leave (statistical discrimination)
- b. Not hiring a highly-qualified woman because she has said that she intends to have a child and take parental leave (non-statistical discrimination)

# In statistical machine learning

An algorithm developed through statistical machine learning can statistically discriminate if we:

1. Disregard intentions/animosity
2. Understand statistically relevant as  
any information derived from training data

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# Ranking in IR

**Objective:** provide maximum relevance to searcherr

Order by decreasing probability of being relevant

However, we sometimes care about the searchedd items

# When searchedu utility matters

Finding a local business

Purchasing a product or service

Recruiting a candidate for a job

Discovering events or groups to join

Learning about a political candidate

Dating/mating

Business success

Marketing success

Career success

Social success

Political success

Affective/reproductive success

# Fairness for those searchedu is ...

1. A **sufficient presence** of elements of the protected group
  - Absence of statistical group discrimination
  - Prevent allocative (distributional) harms
1. A **consistent treatment** of elements of both groups
  - Prevent individual discrimination
2. A **proper representation** of protected groups
  - Prevent representational harms



... and for searchers, it is

4. An **equal level of satisfaction** across searcher groups  
Due to different intents or different resp. to relevance  
Prevent allocative harms

# Representational harms

Representational harms occur when systems reinforce the subordination of some groups along the lines of identity (Kate Crawford)

- Sexualized search results  
Google ca. 2013, "black women" but in general "(race) women"

Web Images Videos Maps News Shopping Gmail more Sign in

Black girls  
About 140,000,000 results (0.07 seconds) Advanced search

Everything  
Images  
Videos  
News  
Shopping  
More

Urbana, IL  
Change location

Any time  
Past hour  
Past 24 hours  
Past week  
Past month  
Past year  
Custom range...

All results  
Sites with images  
More search tools

[Sugary Black \[redacted\].com-Black girls in a hardcore action galleries](#)  
[sugaryblackpussy.com/](#) - Cached  
(black pussy and hairy black pussy,black sex,black booty,black ass,black teen pussy,big black ass,black porn star,hot black girl) ...

[100% Black Girls -- \(\(100% Free Black Girls Chat\)\)](#)  
[www.woome.com/people/girls/crowds/black/](#) - Cached  
[100% Black Girls Online // \(100% Free Black Girls Chat\) -- Black Girl Chat Rooms, Meet a Black Girl Online Now!!](#)

[Black Girls | Big Booty Black Girls | Black Porn | Black \[redacted\]](#)  
[www.blackgirls.com/](#) - Cached  
BlackGirls.com is the top spots for black porn online. Hottest big Booty black girls sucking black cocks, in black ebony porn movies.

[HOME | THE OFFICIAL HOME OF BLACK GIRLS ROCK!](#)  
[www.blackgirlsrockinc.com/](#) - Cached  
Jun 24, 2011 - BLACK GIRLS ROCK! Inc. is 501(c)3 non-profit youth empowerment and mentoring organization established to promote the arts for young ...

[Two black girls love \[redacted\] Redtube Free Big Tits Porn Videos, Anal \[redacted\]](#)  
[www.redtube.com/7310](#) - Cached  
Watch Two black girls love cock on Redtube Home of free big tits porn videos, anal movies & group clips.

[Black Girls | Free Music, Tour Dates, Photos, Videos](#)  
[www.myspace.com/blackgirlsband](#) - Cached  
Black Girls's official profile including the latest music,

Ads  
[Hot Black Dating](#)  
[www.blackcrush.com](#)  
Hook Up Tonight & Get Busy with a Hot Black Girl Near You. Join Free

[Local Ebony Sex](#)  
[www.amateurmatch.com](#)  
The Sexiest Ebony Dating Online. Chat Browse and Get Laid. Free Join

[Black Women Seeking Men](#)  
[www.blacksexmatch.com](#)  
Find Black Women Near You Who Want a Lover in Only 5 mins!

[Big Booty Black Porn](#)  
[www.bigbootyblackvideos.com](#)  
A must see black booty porn site. Watch uncensored videos - 100% Free

[Black XXX - uncensored](#)  
[www.dabigblackdonkeybooty.com](#)  
Hardcore Black Porn tube videos. Extremely good - 100% Free.

[Black Girls](#)  
[www.aebn.net](#)  
Watch Black Adult PayPerView Choose From Over 100,000 Porn Films

[Naughty Black Wives](#)  
[www.affairclub.com/Black](#)  
Husband Out For Work: You In For Naughty Pleasure! Join For Free.

See your ad here »

# Representational harms (cont.)

Search suggestions reinforcing biases or stereotypes, spreading misinformation, manipulative, pointing to adult material, ...

- {nationality|ethnicity|gender|...} are [...]
- alexandria ocasio cortez [swimsuit]
- neil degrasse tyson [arrested]
- late term abortion [is never necessary]
- little girl in [miniskirt]



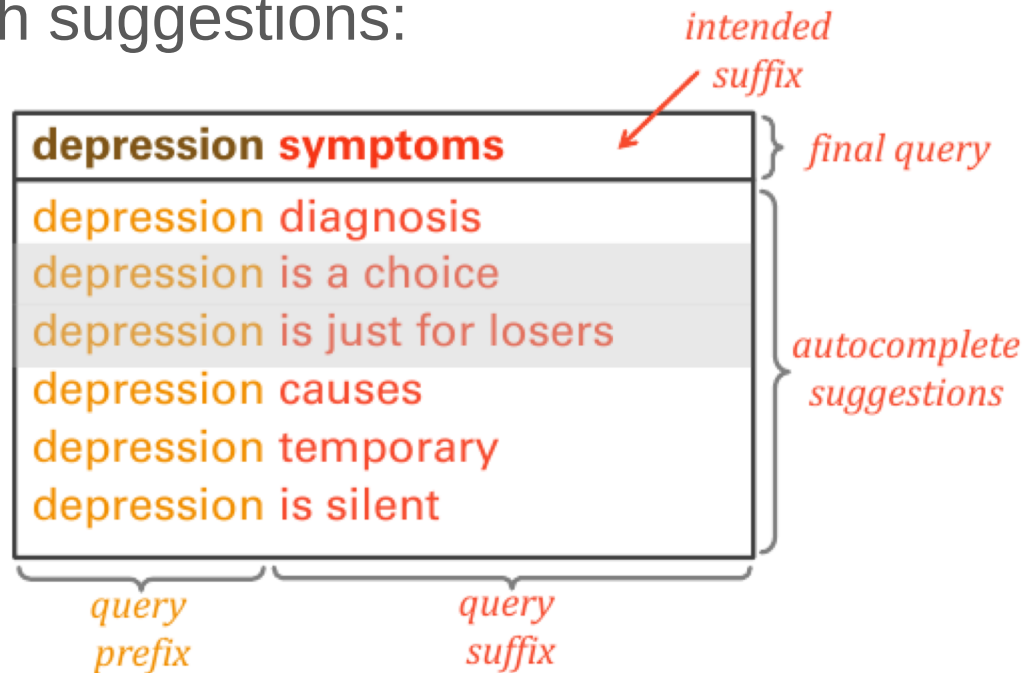
Olteanu, A., Diaz, F., & Kazai, G. (2020). When Are Search Completion Suggestions Problematic? *Proc. of CSCW*.

Baker, P., & Potts, A. (2013). Why do white people have thin lips? Google and the perpetuation of stereotypes via auto-complete search forms. *Critical discourse studies*.

# Representational harms (cont.)

Types of problematic search suggestions:

- harmful speech
- potentially illicit
- misinformation
- stereotypes
- adult content
- ...



# Is this a *sufficient presence* of women?

	Position										top 10 male	top 10 female	top 40 male	top 40 female
	1	2	3	4	5	6	7	8	9	10				
<b>Economist</b>	f	m	m	m	m	m	m	m	m	m	90%	10%	73%	27%
<b>Market analyst</b>	f	m	f	f	f	f	f	m	f	f	20%	80%	43%	57%
<b>Copywriter</b>	m	m	m	m	m	m	f	m	m	m	90%	10%	73%	27%

Top-10 results for 3 professions in XING (a recruitment site, similar to LinkedIn, that is a market leader in Germany and Austria)

# Two different goals

**Reduce discrimination** when

a protected group has **higher utility but lower rankings**

E.g.: a university admittance test gives lower scores to economically disadvantaged applicants, but they have better academic performance if admitted

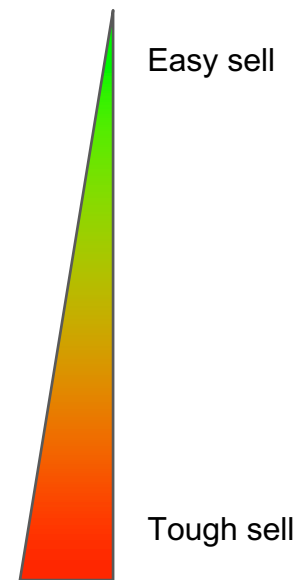
**Provide equal opportunity** when

a protected group has **lower utility and lower rankings**

E.g.: a university admittance test gives lower score to some applicants, who also have lower academic performance if admitted

# Making a case to create fair rankings

1. Biases harming searcher utility  
(i.e., reduce discrimination)
2. Legal mandates and voluntary commitments  
(i.e., provide equal opportunity)
3. Ensuring technology embodies certain values



# Some possible biases in input data

## Biases in expert-provided training data

Expert or editorially provided rankings  
(e.g., all protected items ranked lower than nonprotected)

## Biases in user-provided training data

Clicks and user feedback  
(e.g., if women preferred ads for jobs that pay less)

## Biases in document construction

(e.g., completion of different CV sections by men/women)



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# Measuring fairness in rankings

Rank-weighted exposure

Singh and Joachims 2018, ...

Randomized merging (probability-based)

Yang and Stoyanovich 2017, Zehlike et al. 2017, ...

Pairwise comparisons

Kallus and Zhou 2019, Beutel et al. 2019, ...

# Measuring fairness in rankings

Rank-weighted exposure 

Singh and Joachims 2018, ...

C.f. “retrievability” concept, 10 years earlier:

Azzopardi, L., & Vinay, V.. Retrievalability: An evaluation measure for higher order information access tasks. In *Proc. CIKM 2008*.

Randomized merging (probability-based)

Yang and Stoyanovich 2017, Zehlike et al. 2017, ...

Pairwise comparisons

Kallus and Zhou 2019, Beutel et al. 2019, ...

# Disparate exposure

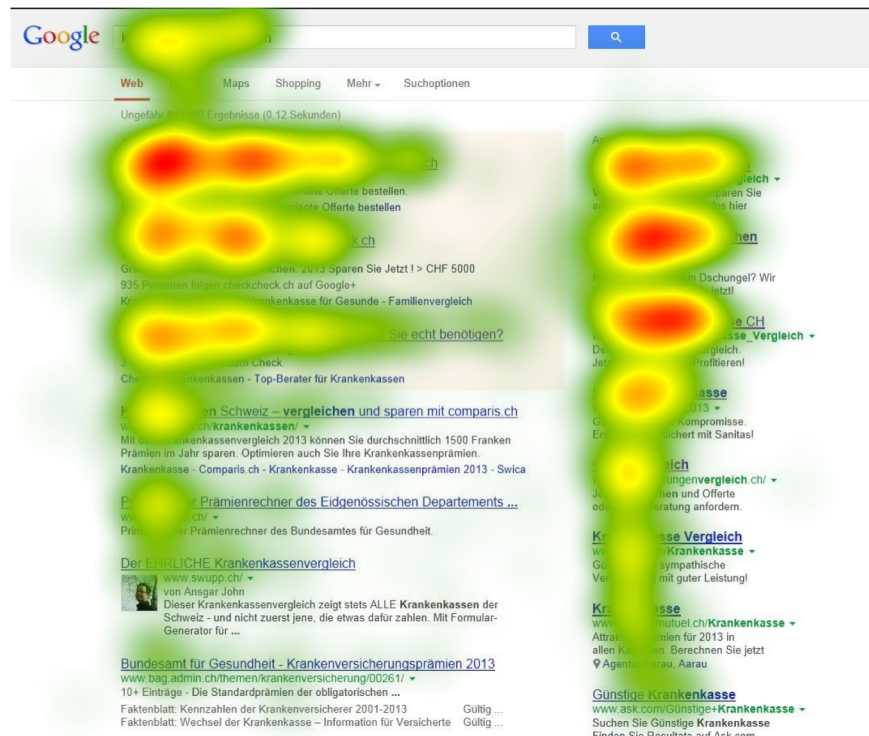
Each position in a ranking has a certain value (e.g., probability of being examined)

$v_i$

A ranking is fair if

$$E(v_i) \approx E(v_j)$$

$i \in G_0$   $i \in G_1$

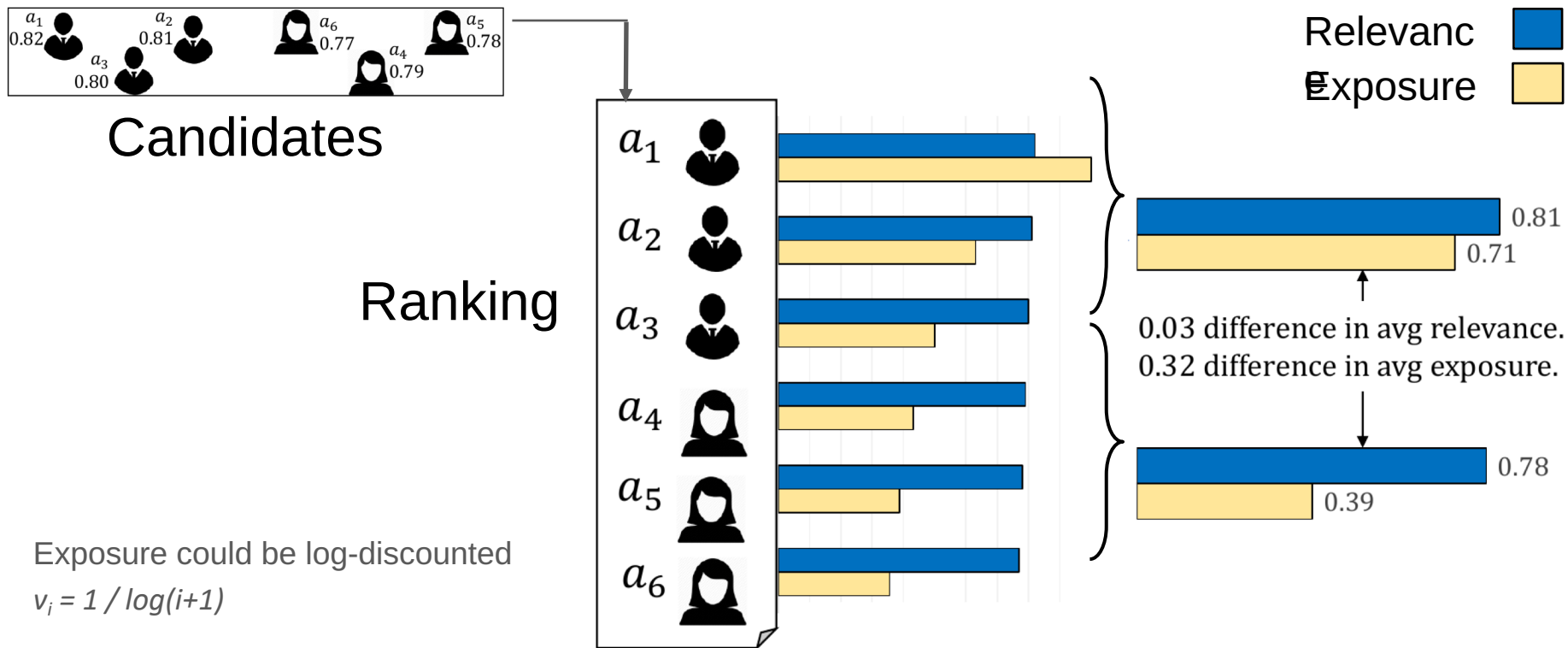


# Disparate exposure: example



Candidates  
(and their relevance)

# Disparate exposure: example



# Disparate exposure

Utility-normalized exposure disparity  
("Disparate Treatment Ratio"):

$$\text{DTR}(G_0, G_1 | \mathbf{P}, q) = \frac{\text{Exposure}(G_0 | \mathbf{P}) / U(G_0 | q)}{\text{Exposure}(G_1 | \mathbf{P}) / U(G_1 | q)}$$

$$\text{Exposure}(G_k | \mathbf{P}) = \frac{1}{|G_k|} \sum_{d_i \in G_k} \sum_{j=1}^N \mathbf{P}_{i,j} \mathbf{v}_j$$

Expected click-through rate disparity  
("Disparate Impact Ratio"):

$$\text{DIR}(G_0, G_1 | \mathbf{P}, q) = \frac{\text{CTR}(G_0 | \mathbf{P}) / U(G_0 | q)}{\text{CTR}(G_1 | \mathbf{P}) / U(G_1 | q)}$$

$$\text{CTR}(G_k | \mathbf{P}) = \frac{1}{|G_k|} \sum_{i \in G_k} \sum_{j=1}^N \mathbf{P}_{i,j} \mathbf{u}_i \mathbf{v}_j$$

# Amortized fairness

Every element should receive attention or exposure ( $a_i$ ) proportional to its utility ( $r_i$ )

$$\frac{\sum_{l=1}^m a_{i1}^l}{\sum_{l=1}^m r_{i1}^l} = \frac{\sum_{l=1}^m a_{i2}^l}{\sum_{l=1}^m r_{i2}^l}, \forall u_{i1}, u_{i2}.$$

This should be achieved across  $m$  queries

At every query, consider past accumulated attention/utility deficits or surpluses, and correct them to the extent possible while honoring quality constraints



# More variants

Inverse log-weighted KL divergence of prefixes  
[Geyik et al. KDD 2019]

...

# Measuring fairness in rankings

Rank-weighted exposure

Singh and Joachims 2018, ...

Randomized merging (probability-based) 

Yang and Stoyanovich 2017, Zehlike et al. 2017, ...

Pairwise comparisons

Kallus and Zhou 2019, Beutel et al. 2019 ...

# Ranking as randomized merging

1. Rank protected and unprotected separately
2. For each position:
  - Pick protected with probability  $p$
  - Pick nonprotected with probability  $1-p$

Continue until exhausting both lists

rank	gender
1	M
2	M
3	M
4	M
5	M
6	F
7	F
8	F
9	F
10	F

$p=0$

rank	gender
1	M
2	M
3	F
4	M
5	M
6	F
7	M
8	F
9	F
10	F

$p=0.3$

rank	gender
1	M
2	F
3	M
4	F
5	M
6	F
7	M
8	F
9	M
10	F

$p=0.5$

# Fair representation condition

Given parameters  $p$ ,  $\alpha$  and a set of size  $k$

Let  $F(x;p,k)$  be the cumulative distribution function of a binomial distribution with parameters  $p$ ,  $k$

A ranking of  $k$  elements having  $x$  protected elements satisfies the **fair representation condition** with probability  $p$  and significance  $\alpha$  if  $F(x;p,k) > \alpha$

# Example: fair representation condition

Suppose  $p=0.5$ ,  $k=10$ ,  $\alpha=0.10$

$F(1, 0.5, 10) = 0.01 < 0.10 \Rightarrow$  if 1 protected element, **fail**

$F(2, 0.5, 10) = 0.05 < 0.10 \Rightarrow$  if 2 protected elements, **fail**

$F(3; 0.5, 10) = 0.17 > 0.10 \Rightarrow$  if 3 protected elements, **pass**

$F(4; 0.5, 10) = 0.37 > 0.10 \Rightarrow$  if 4 protected elements, **pass**

...

# Ranked group fairness (unadjusted)

Given parameters  $p$ ,  $\alpha$  and a list of size  $k$

The list satisfies the **ranked group fairness** condition if

for every  $i \leq k$

the prefix of size  $i$  of the list

satisfies the fair representation condition  $(i, p, \alpha)$

# Examples: ranked group fairness

Can be expressed with a vector

$p \backslash k$	1	2	3	4	5	6	7	8	9	10	11	12
0.1	0	0	0	0	0	0	0	0	0	0	0	0
0.2	0	0	0	0	0	0	0	0	0	0	1	1
0.3	0	0	0	0	0	0	1	1	1	1	1	2
0.4	0	0	0	0	1	1	1	1	2	2	2	3
0.5	0	0	0	1	1	1	2	2	3	3	3	4
0.6	0	0	1	1	2	2	3	3	4	4	5	5
0.7	0	1	1	2	2	3	3	4	5	5	6	6

Problem: **multiple hypothesis testing**

# Ranked group fairness (adjusted)

Given parameters  $p$ ,  $\alpha$  and a list of size  $k$

The list satisfies the **ranked group fairness** condition if

for every  $i \leq k$

the prefix of size  $i$  of the list

satisfies the fair representation condition  $(i, p, \alpha_c)$

Where  $\alpha_c > \alpha$  is adjusted to make the failure probability of a ranking generated by randomized merging equal to  $\alpha$



# Probability-based measure

Given a ranking of  $k$  elements ...

... and a significance  $\alpha$ :

its **ranked group fairness is the maximum  $p$**  such that  
the ranking passes the ranked group fairness at  $p, \alpha$

... and a probability  $p$ :

its ranked group fairness is the minimum  $\alpha$  such that the  
ranking passes the ranked group fairness at  $p, \alpha$

# Example: job search

SPAIN			FRANCE			UNITED KINGDOM		
QUERY	K=16		QUERY	K=16		QUERY	K=15	
	LINKEDIN	VIADAO		LINKEDIN	VIADAO		LINKEDIN	VIADAO
	P	P		P	P		P	P
abogado			avocat			lawyer		0,20
arquitecto		0,30	architecte	0,80	0,60	architect	0,70	0,30
bombero		0,20	pompier		0,70	firefighter	0,40	
cartero	0,30	0,20	mailman		0,50	postman	0,20	0,20
científico	0,10	0,30	scientifique	0,70	0,80	scientist	0,50	0,60
cirujano	0,40	0,70	chirurgien		0,50	surgeon		0,30
cocinero	0,10	0,50	cuisinier	0,40	0,80	chef	0,40	0,40
consultor	0,50		consultant	0,20	0,40	consultant	0,60	0,30
dentista	0,90	0,50	dentiste		0,50	dentist	0,50	0,60
desarrollador	0,10	0,30	développeur	0,40	0,40	developer	0,60	0,40
diseñador	0,20	0,40	designer	0,50		designer	0,70	
economista	0,30	0,60	économiste	0,40	0,90	economist	0,60	0,30
AVERAGE	0,26	0,35	AVERAGE	0,40	0,59	AVERAGE	0,51	0,41

There are large differences in the presence of women across professions, countries *and* platforms

Plus: treatment of masculine as *neutral* gender in queries in Spanish and French is inconsistent across and within platforms

# Measuring fairness in rankings

Rank-weighted exposure

Singh and Joachims 2018, ...

Randomized merging (probability-based)

Yang and Stoyanovich 2017, Zehlike et al. 2017, ...

Pairwise comparisons 

Kallus and Zhou 2019, Beutel et al. 2019 ...

# Cross-AUC ( $x\text{AUC}$ , $\Delta x\text{AUC}$ )

If  $R_1$  is the ranking of a relevant item and  $R_0$  the ranking of an irrelevant item:

$$\text{AUC} = \Pr[R_1 > R_0]$$

$\Pr[\text{Relevant item ranked above irrelevant item}]$

The cross-AUC between groups a and b is defined as:

$$x\text{AUC} = \Pr[R_1^a > R_0^b]$$

$$\Delta x\text{AUC} = \Pr[R_1^a > R_0^b] - \Pr[R_1^b > R_0^a]$$

# Pairwise success

If  $R^a_1 > R^b_1$  are the rankings of two relevant items from different groups:

- If  $\text{clicks}(R^a_1) > \text{clicks}(R^b_1)$  then we count a success
- Otherwise, we count a failure

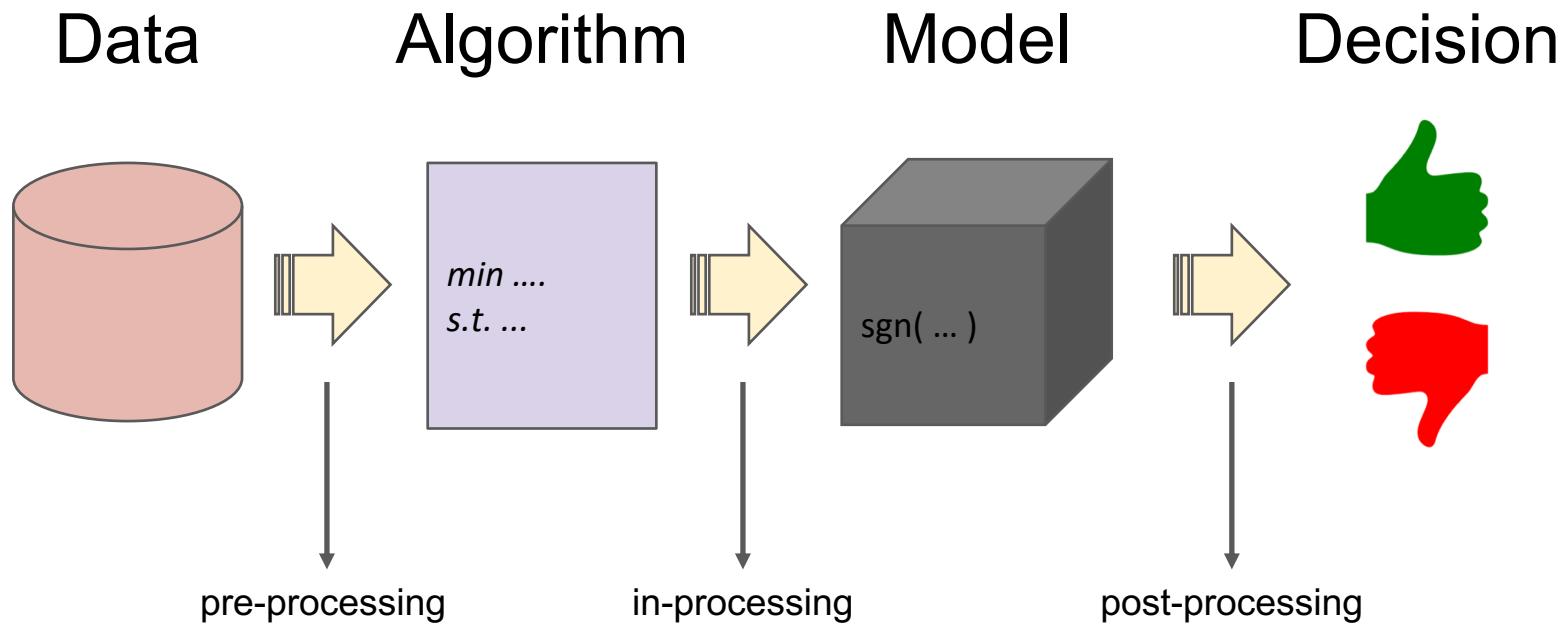
# Algorithmic Bias in Rankings

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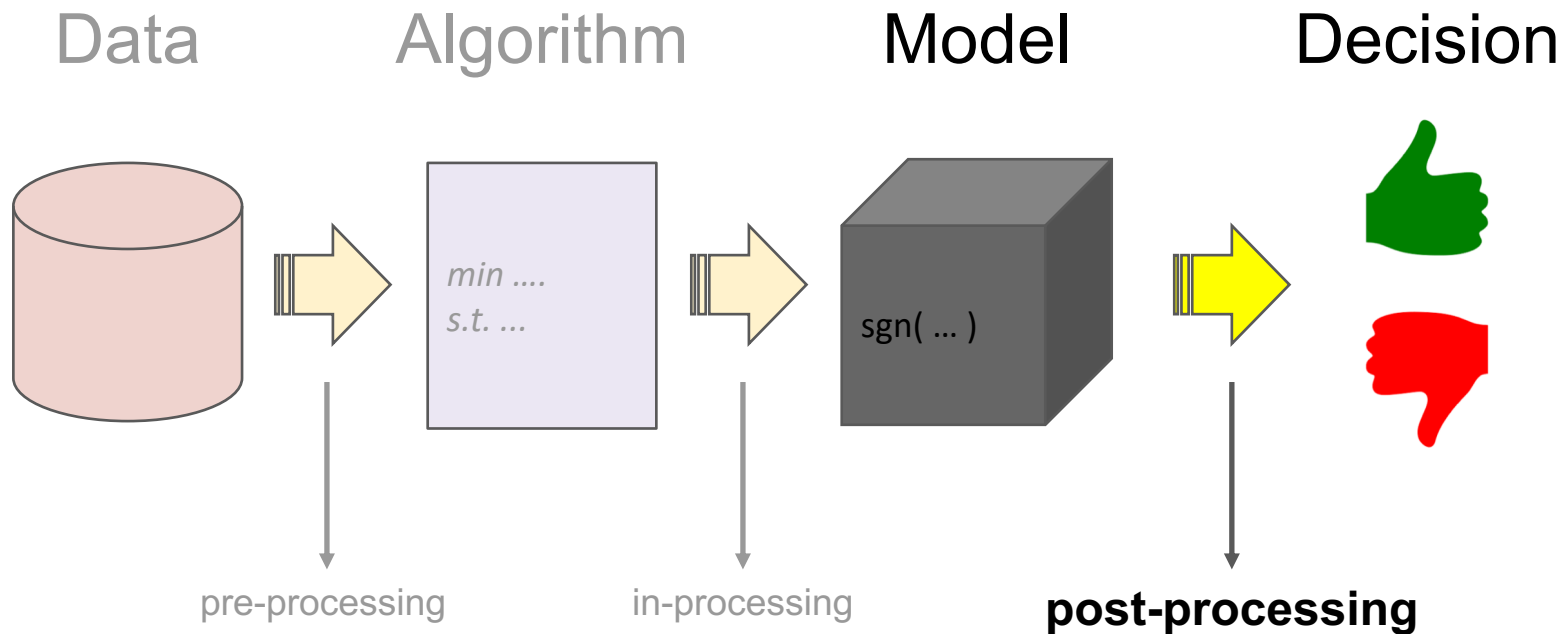
1. Can algorithms discriminate?
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# Fairness: (pre,post,in)-processing



# Post-processing methods





# Single protected attribute

Rank separately protected P and nonprotected N

Determine the *minimum number* of protected elements required at every ranking position using  $p, \alpha$

For every position

**If enough** protected elements: pick next from best of P, N  
**else:** pick next from P

# Multiple protected attribs (Celis et al.)



$$\arg \max_{x \in R_{m,n}} \sum_{i \in [m], j \in [n]} W_{ij} x_{ij} \quad \text{s.t.} \quad L_{k\ell} \leq \sum_{1 \leq j \leq k} \sum_{i \in P_\ell} x_{ij} \leq U_{k\ell} \quad \forall \ell \in [p], k \in [n]$$

$x_{ij}$  is whether we place item  $i$  in position  $j$


$R_{m,n}$  is the constraint that each item goes in one position only

$W_{ij}$  is the utility of placing in position  $i$  the item  $j$  (non-decr.)



$U_{kl}$  is the given max. number of items of class  $l$  up to pos  $k$

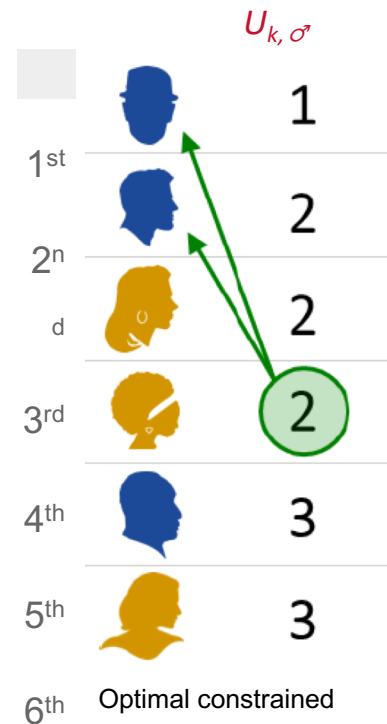
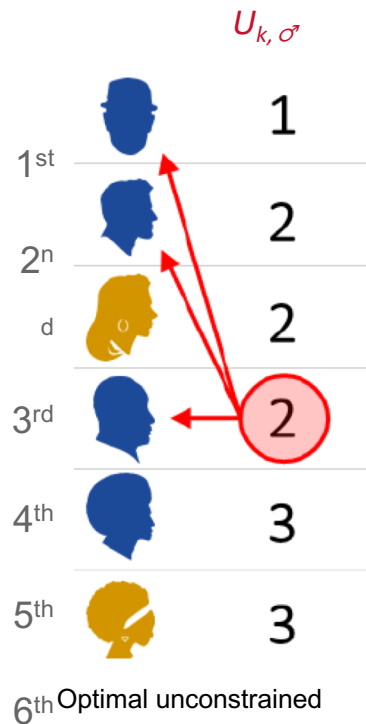
# Example (Celis et al.)

$W_{ij}$



1 <sup>st</sup>	97	93	89	81	73	72	64	62
2 <sup>n</sup>	94	90	86	79	71	69	61	60
d	90	86	82	75	68	66	59	57
3 <sup>rd</sup>	78	74	71	65	58	57	51	49
4 <sup>th</sup>	74	71	68	62	56	55	48	47
5 <sup>th</sup>	71	68	65	59	53	52	46	45
6 <sup>th</sup>								

 Optimal unconstrained
  Optimal constrained



# Results in Celis et al.

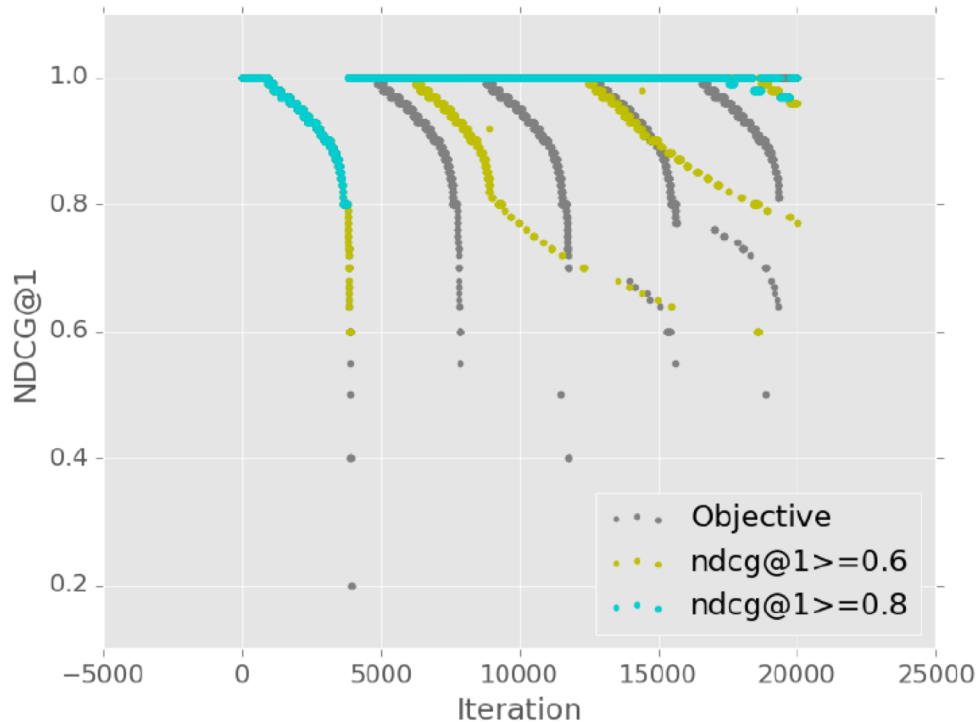
Let  $\Delta$  = max. number of constrained attributes of an element

If  $\Delta = 1$ : solvable in polynomial time

If  $\Delta > 1$ : approximately solvable in polynomial time  
using an LP relaxation, violates constraints  
by at most a  $(\Delta+2)$  factor

# Amortized fairness

Change elements at top positions to ensure enough exposure is given to different groups



# Singh and Joachims

Probabilistic ranking  $\mathbf{P}$

$P_{i,j}$  is probability of placing document  $i$  in position  $j$

$$U(\mathbf{P}|q) = \sum_{d_i \in \mathcal{D}} \sum_{j=1}^N \mathbf{P}_{i,j} u(d_i|q) \mathbf{v}_j$$

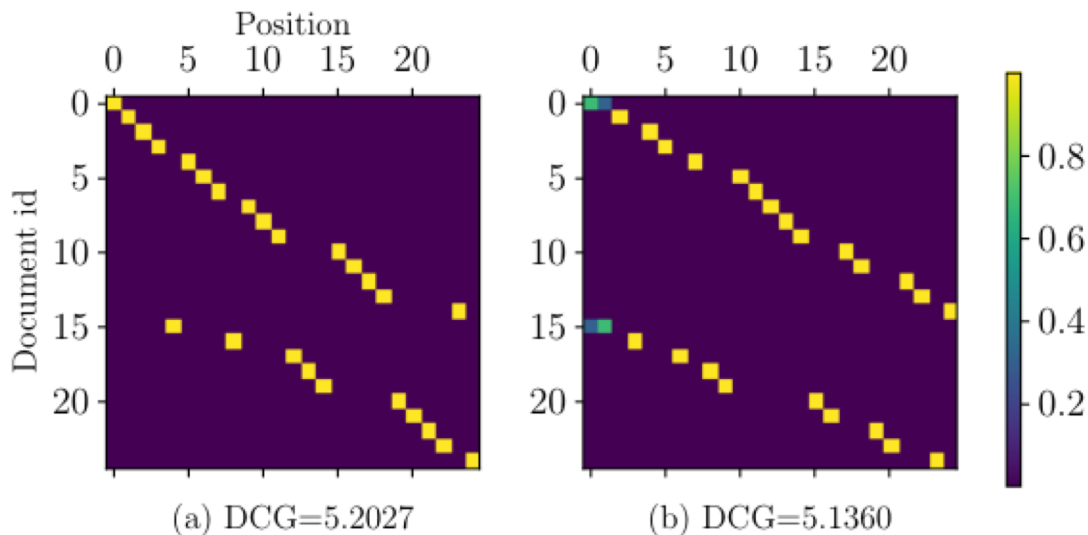
$$\text{Exposure}(G_k|\mathbf{P}) = \frac{1}{|G_k|} \sum_{d_i \in G_k} \sum_{j=1}^N \mathbf{P}_{i,j} \mathbf{v}_j$$

Maximize utility and reduce DTR and DIR

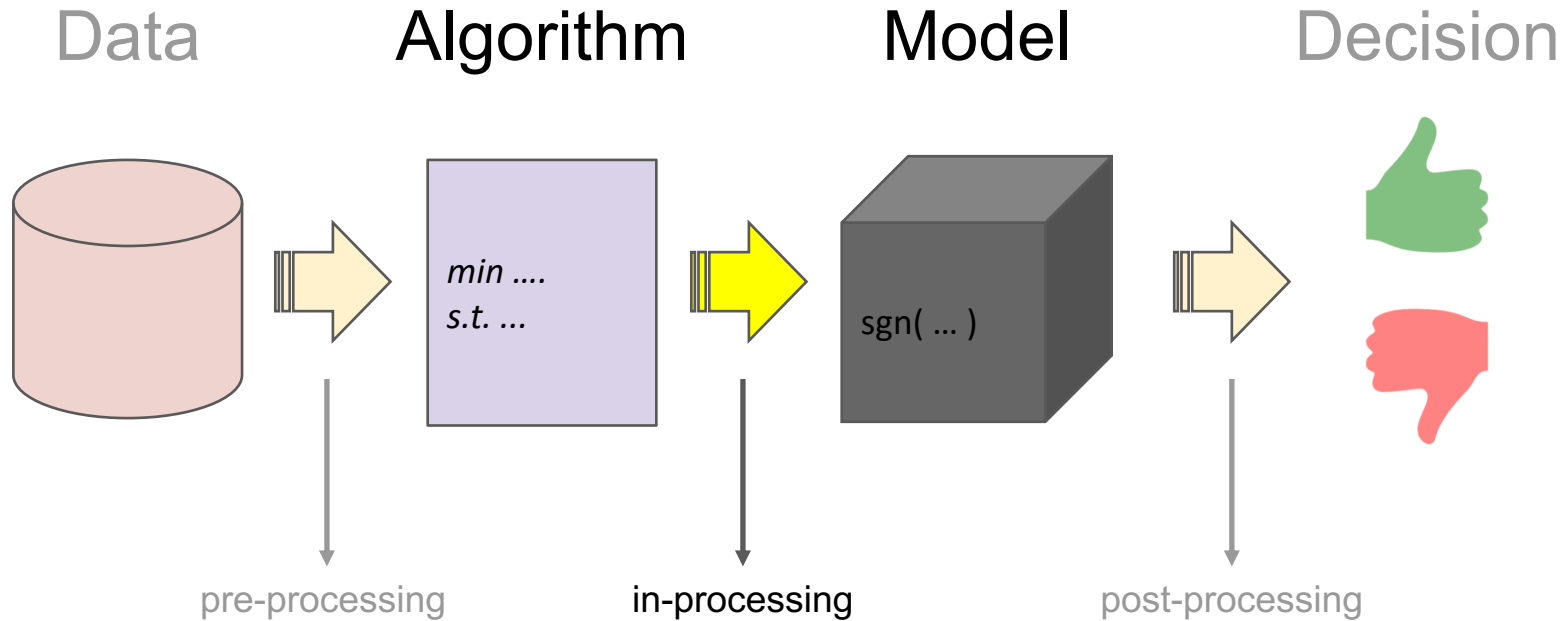
(utility-normalized exposure or predicted click-through rates)

# Singh and Joachims (cont.)

Experimental results: (a) unconstrained and (b) fair ranking



# In-processing methods





# Listwise LTR method

Optimize LTR with a combination of two losses:

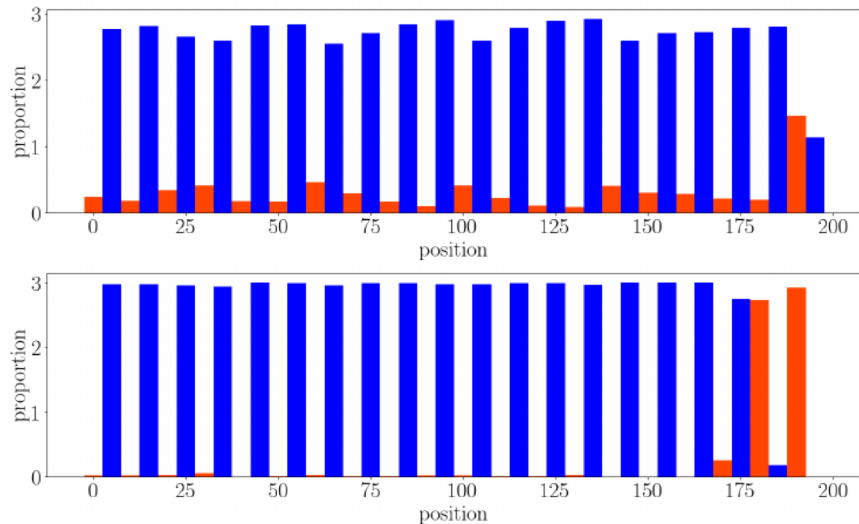
- $L$  = loss due to difference between ranking predictions and training elements
- $U$  = loss due to expected different exposure

$$L_{DELTR} \left( y^{(q)}, \hat{y}^{(q)} \right) = L \left( y^{(q)}, \hat{y}^{(q)} \right) + \gamma U \left( \hat{y}^{(q)} \right)$$

$$U(\hat{y}^{(q)}) = \max \left( 0, \text{Exposure}(G_0 | P_{\hat{y}^{(q)}}) - \text{Exposure}(G_1 | P_{\hat{y}^{(q)}}) \right)^2$$

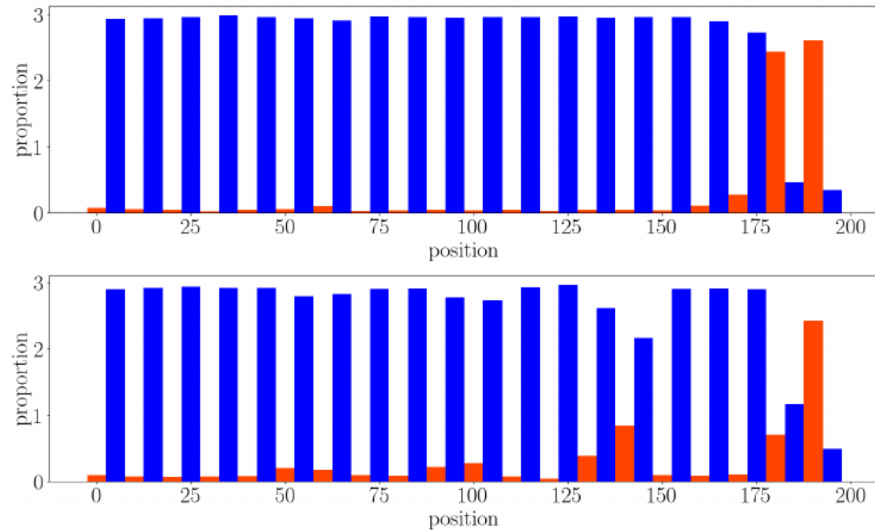
# DELTR: W3C Corpus (TREC Expert)

"Color-blind"



Learning to Rank

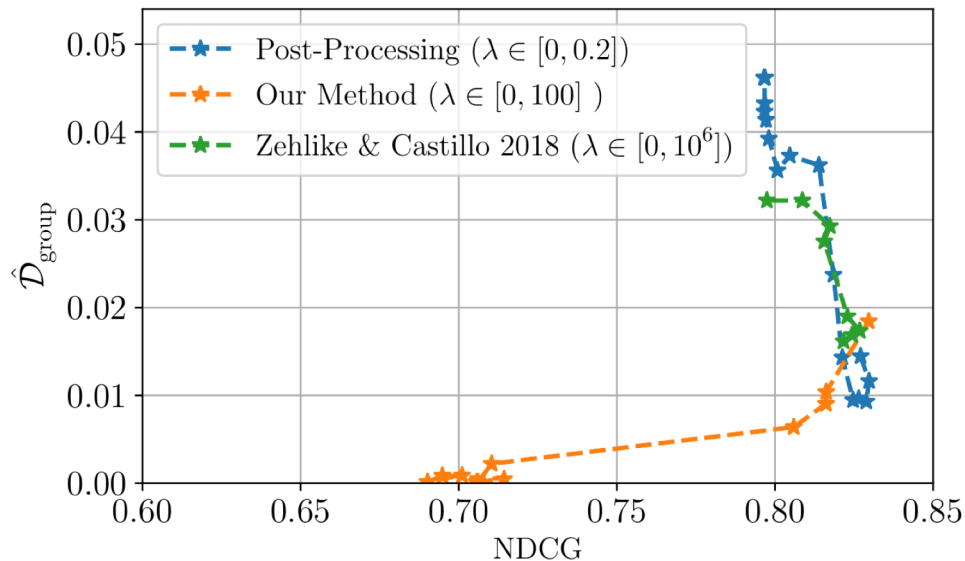
DELTR (small gamma)



DELTR (large gamma)

# Optimizing NDCG, ...

Singh and Joachims  
[NeurIPS 2019] present a  
more general framework  
that can optimize NDCG as  
well as individual and  
group fairness metrics



# Learning from clicks

Clicks are biased towards top results, learning to rank needs to take this into account, e.g.:

Inverse propensity weighting

[Wang et al. SIGIR 2016, Joachims et al. WSDM 2017]

Learning propensity weights and unbiased ranker

[Ai et al. SIGIR 2018]

Learning from top-k observations [Oosterhuis 2020]

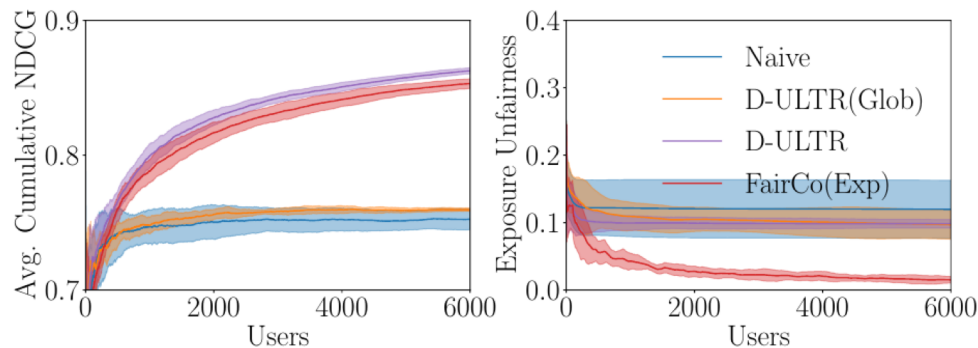
# Controlling unfairness in LTR

*FairCo* adds a factor to correct unfairness to a LTR objective:

$\max(D(G_i, G))$  .... where  $D(G_i, G)$  is either ...

Disparate exposure or

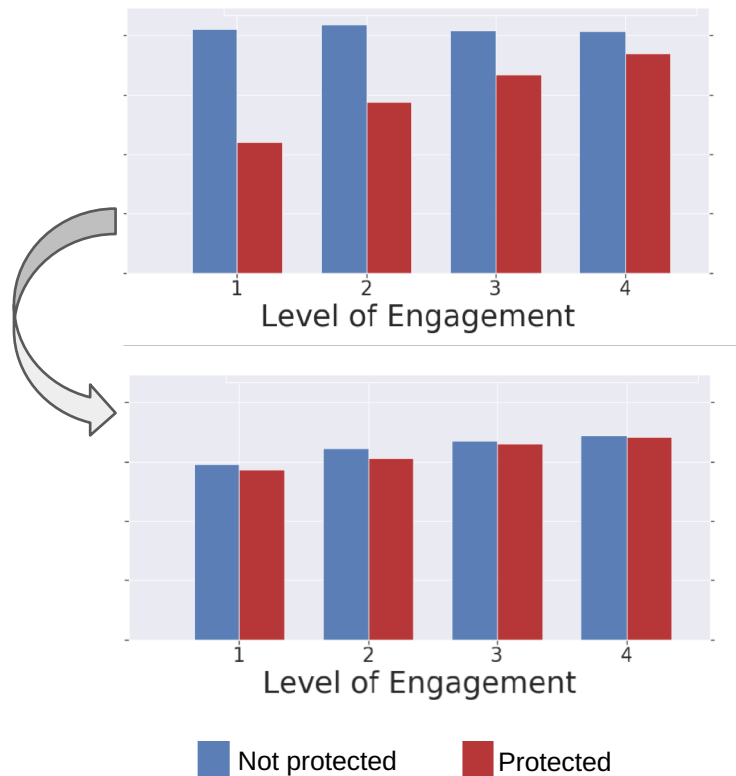
Disparate treatment (utility-normalized disparate exposure)



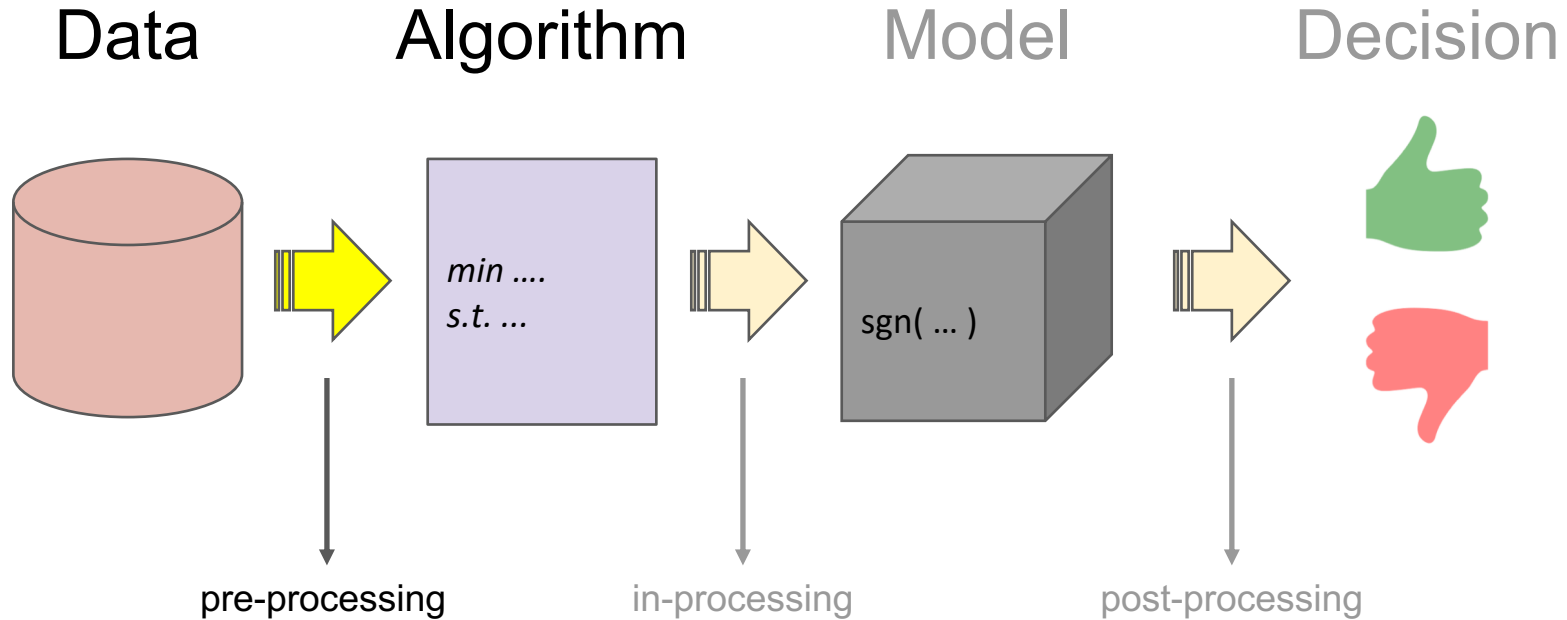
# Other pairwise LTR methods

Inter-group pairwise fairness measures "success" rate:

- $u, v$  are **relevant**,
- $u, v$  are **equally engaging**,
- $u, v$  belong to **different** groups,
- $u$  is ranked **above**  $v$ ,
- $u$  is clicked,  $v$  is not clicked



# Pre-processing methods

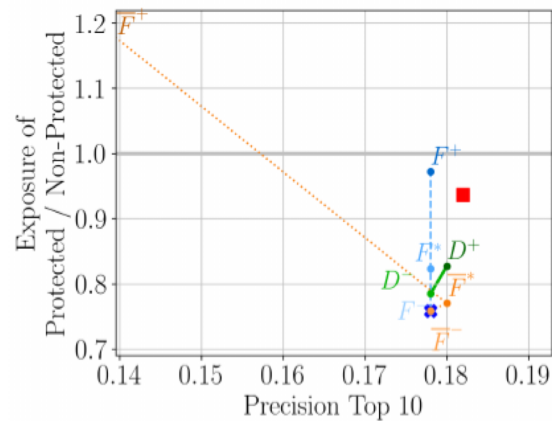


# Simple pre-processing of training data

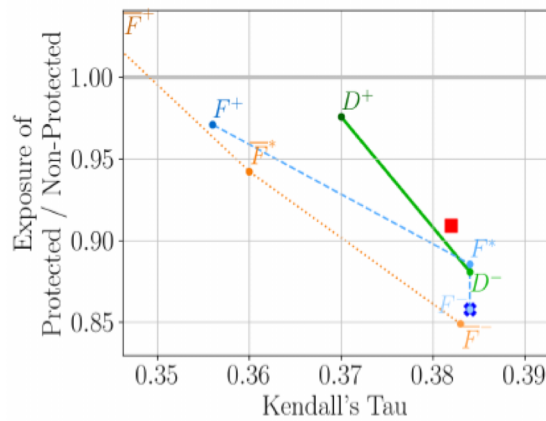


1. Before training a LTR system
  - Ensure rankings given as input satisfy a fair ranking condition
2. Train the LTR as usual
3. Profit?

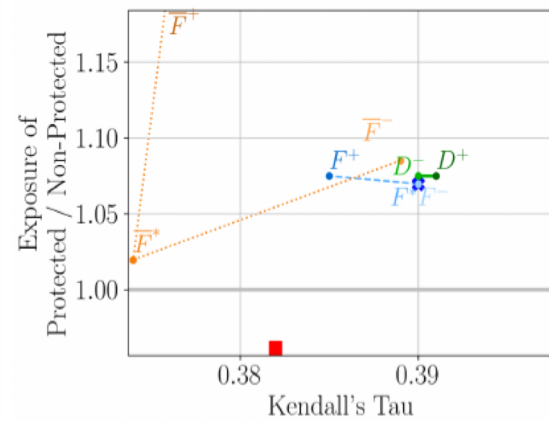




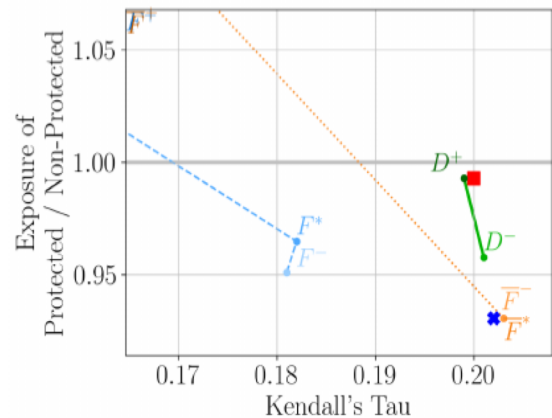
(a) W3C experts (gender)



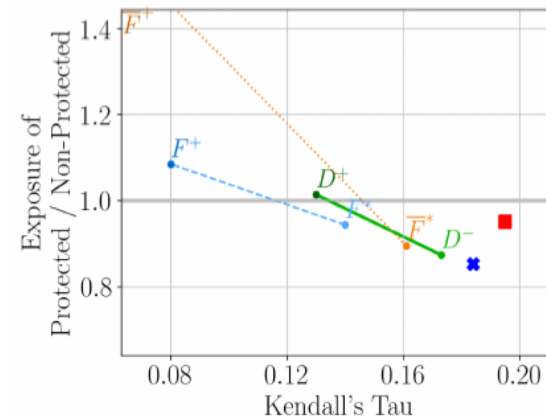
(b) Engineering Students (gender)



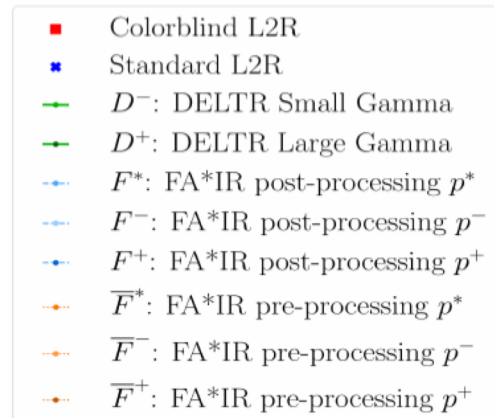
(c) Engineering Students (high school type)



(d) Law Students (gender)

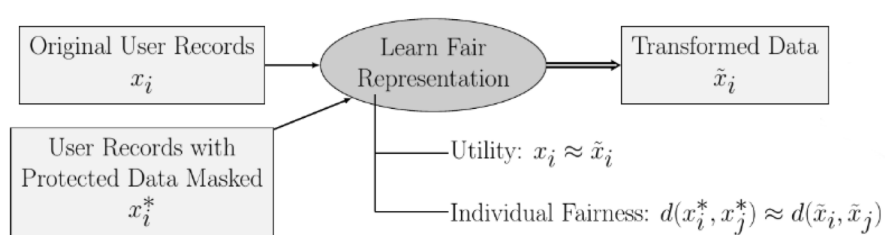


(e) Law Students (ethnicity)

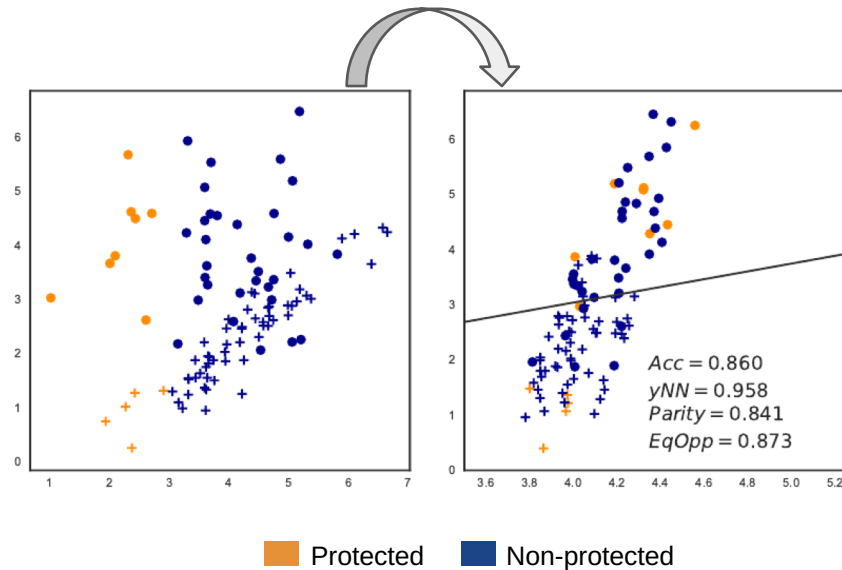


(f) Legend

# (Individually) fair representations



Input data is transformed to reduce the extent to which the distance between items is affected by protected attributes



# Algorithmic Bias in Rankings

## Contents

1. Can algorithms discriminate?
2. Algorithmic fairness in IR
3. Measuring fairness in rankings
4. Creating fair rankings
5. Transparency in ranking



# Transparency: why and how?

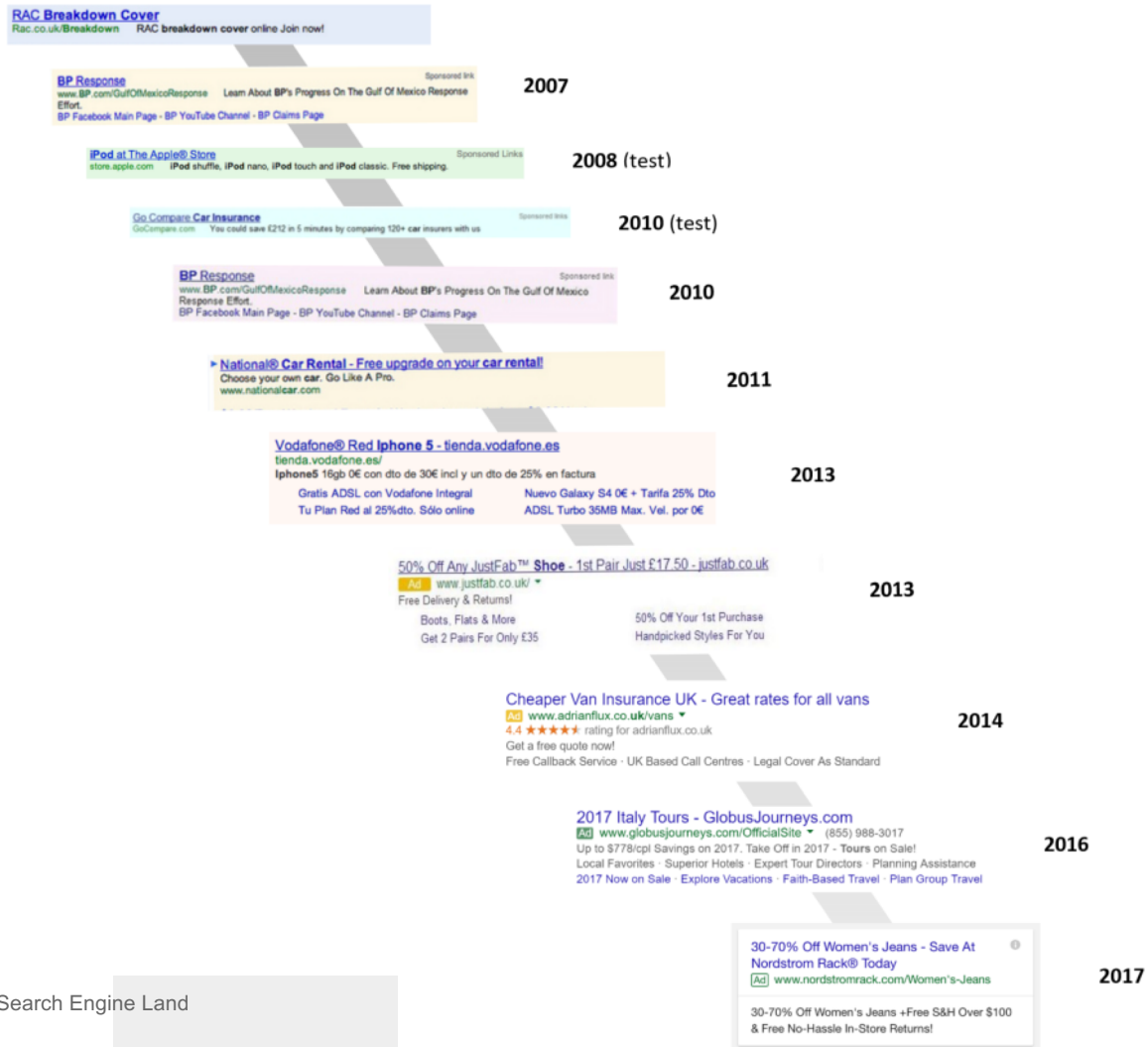
## Why:

- Being able to **test** (remember we disregarded animosity)
- Supporting **ethics** compliance
- Ensuring implementation reflects **objectives**
- Making **trade-offs** visible

## How:

- Explanations tend to be **contrastive**: why P and not Q?
- Explanations should empower users to **challenge** rankings

# Advertising transparency is increasingly "transparent" (!)





Donald J. Trump

@realDonaldTrump

Following

Google search results for "Trump News" shows only the viewing/reporting of Fake New Media. In other words, they have it RIGGED, for me & others, so that almost all stories & news is BAD. Fake CNN is prominent. Republican/Conservative & Fair Media is shut out. Illegal? 96% of...

4:24 AM - 28 Aug 2018



Donald J. Trump

@realDonaldTrump

Following

....results on "Trump News" are from National Left-Wing Media, very dangerous. Google & others are suppressing voices of Conservatives and hiding information and news that is good. They are controlling what we can & cannot see. This is a very serious situation-will be addressed!

4:34 AM - 28 Aug 2018





FRANK PASQUALE

# THE BLACK BOX SOCIETY

The Secret Algorithms  
that Control Money  
and Information



# Transparency in algorithmic rankings

"Broadcast television can be monitored by anyone ... **If the nightly television news does not cover a protest, the lack of coverage is evident ...** However, **there is no transparency in algorithmic filtering**: how is one to know whether Facebook is showing [news about a protest] to everyone else but him or her, whether there is just no interest in the topic, or whether it is the algorithmic feedback cycle that is depressing the updates in favor of a more algorithm-friendly topic ...?"





# Nutritional labels for rankings

Provide transparency about ranking factors, composition of the list, and fairness tests

Example ranking labels for a ranking of computer science departments

## Ranking Facts

### ← Recipe

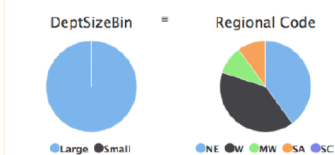
Attribute	Weight
PubCount	1.0
Faculty	1.0
GRE	1.0

### Ingredients →

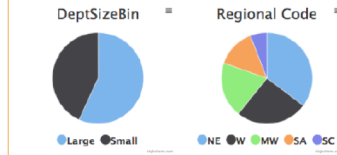
Attribute	Importance
PubCount	1.0
CSRankingAllArea	0.24
Faculty	0.12

Importance of an attribute in a ranking is quantified by the correlation coefficient between attribute values and items scores, computed by a linear regression model. Importance is high if the absolute value of the correlation coefficient is over 0.75, medium if this value falls between 0.25 and 0.75, and low otherwise.

## Diversity at top-10 ?



## Diversity overall ?



### ← Stability

Top-K	Stability
Top-10	Stable
Overall	Stable

### Fairness ?

DeptSizeBin	FA*IR	Pairwise	Proportion
Large	Fair	✓ Fair	✓ Fair
Small	Unfair	✗ Unfair	✗ Unfair

### ← Ingredients

Top 10:			
Attribute	Maximum	Median	Minimum
PubCount	18.3	9.6	6.2
CSRankingAllArea	13	6.5	1
Faculty	122	52.5	45

### Overall:

Attribute	Maximum	Median	Minimum
PubCount	18.3	2.9	1.4
CSRankingAllArea	48	26.0	1
Faculty	122	32.0	14

### ← Fairness

DeptSizeBin	FA*IR		Pairwise		Proportion	
	p-value	adjusted $\alpha$	p-value	$\alpha$	p-value	$\alpha$
Large	1.0	0.87	0.98	0.05	1.0	0.05
Small	0.0	0.71	0.0	0.05	0.0	0.05

# Perturbation-based method

Suppose the score is a linear function of features, and documents are ranked by decreasing score ▶

	$x_0$	$x_1$	$x_2$	$score = 0.2x_0 + 0.3x_1 + 0.5x_2$
$d_0$	1	1	1	1
$d_1$	0.5	0.5	1	0.75
$d_2$	1	0	0.7	0.55

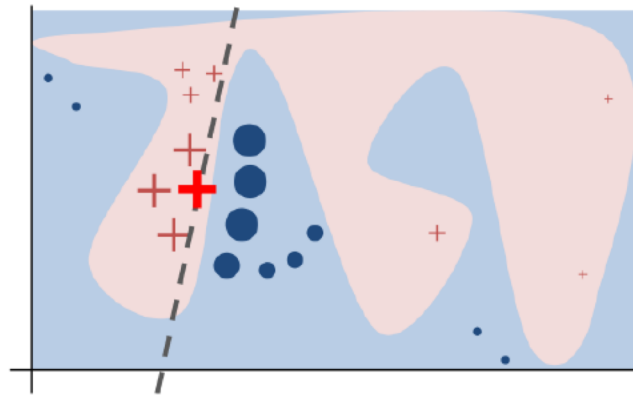
Feature  $x_2$  has the highest weight but even if it were 0.6 for  $d_0$  (lower than any other), document  $d_0$  still would be at the top

**In contrast**, changing feature  $x_1$  to 0 would change the ranking, hence  $x_1$  is a better explanation

# Replace with explainable model

*Model introspection* approaches explain what a particular model is doing, *model agnostic* approaches do not

A classical idea in model interpretability is to mimic a black-box model with a different model that uses a simpler logic but generates a similar output [LIME Ribeiro et al. KDD 2016]



# Transparency can help us researchers

Transparency helps us avoid (at least) two pitfalls:

- **Sneaking positive/affirmative action**  
without a consensus or where it is not welcome
- **Certifying an algorithm that is part of an unfair system**  
or is used in conditions of unfairness

# Conclusions

# Take-home messages

Fairness in IR/RecSys is less studied than in ML/DM

Sometimes it requires solving an exciting algorithmic puzzle,  
but often it does not

Paraphrasing Solon Barocas:

*«What is the problem to which fair ranking is the solution?»*

Different solutions address different problems

**(remove discrimination  $\neq$  provide equal opportunity)**

# See also

[Fairness in Ranking: A Survey](#)  (March 2021)

by M. Zehlike, K. Yang, J. Stoyanovich

[Fair Information Access](#) tutorial at SIGIR/RecSys/...

by M. Ekstrand, F. Diaz, and R. Burke

[FAccT Conference](#)

Happened March 3rd-10th, 2021

